

1. For a SAR system, such as SIR-C, does the nominal 12.5 meter azimuthal resolution for the German X-band system correspond well to the nominal antenna width? What pulse length would be required to match that in range resolution? Compare to the actual pulse width.

$$\text{Azimuthal Resolution} = \frac{L}{2} = \frac{12}{2} = 6 \text{ meters, which is about half the 12.5 meter}$$

azimuthal resolution they actually process to. (formula is for **scan** mode sar)

$$\text{Range Resolution} = \frac{ct}{2}, \text{ or } t = \frac{2 \cdot 12.5}{3 \times 10^8} = 8.33 \times 10^{-8} \text{ seconds. The actual pulse is}$$

500 times longer.

2. What wavelengths and polarizations are used for the commercial SAR systems (Radarsat, ERS)?
3. For a spotlight mode SAR system, what azimuthal resolution could be obtained with x-band for a 10 second integration interval (assume $v = 7 \text{ km/s}$, take the range (altitude) to be 500 km)

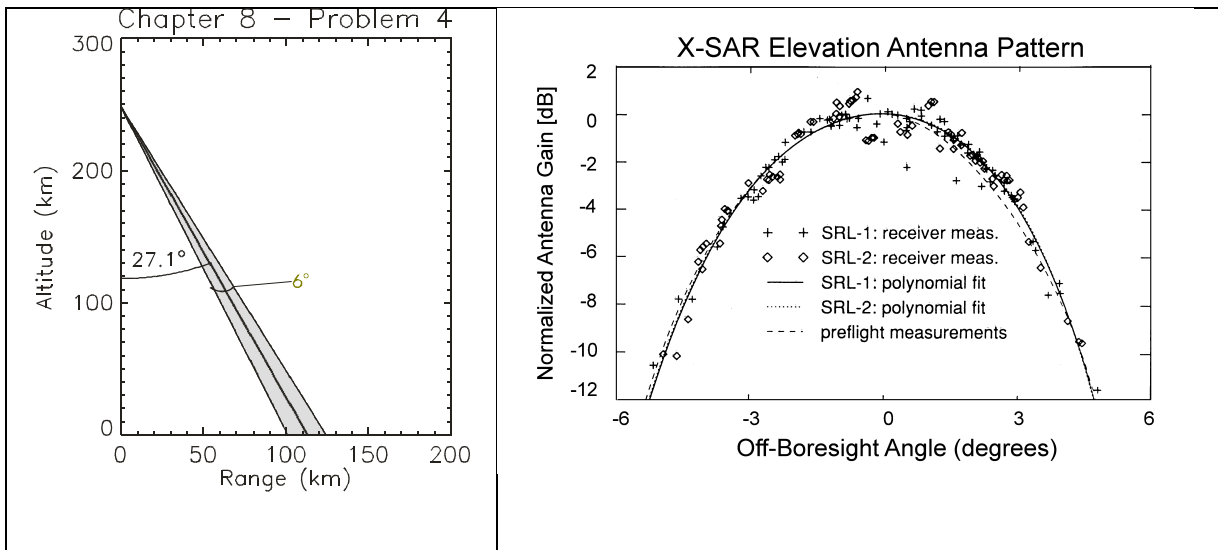
$$\text{Azimuthal resolution} = \text{range} \cdot \frac{1}{\text{Effective antenna length}}$$

$$= 500 \times 10^3 \cdot \frac{3 \times 10^{-2}}{10s \cdot 7 \times 10^3 \frac{\text{km}}{\text{s}}} = 0.214 \text{ meters}$$

4. For the conditions illustrated in Figure 8-12, the shuttle was at 222 km altitude, and the antenna (shuttle) attitude was 27.1° . What range does the $27.1^\circ \pm 3^\circ$ (measured from nadir) correspond to?

Horizontal distance = altitude * tangent(incident angle)

Ground intercepts are at 98.81, 113.035, 128.045 km from the subsatellite point. The range is $128.045 - 98.81 = 29.2 \text{ km}$

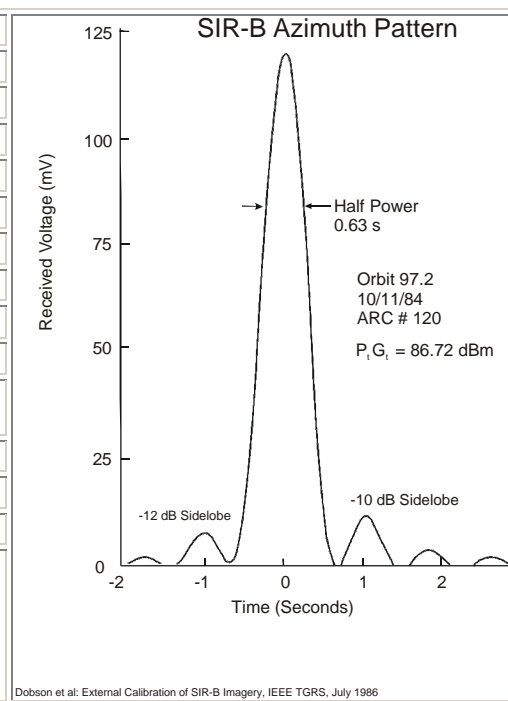


5. During an earlier shuttle flight (SIR-B), observations similar to those shown in Figures 8-10 to 8-12 were made. Given a vehicle velocity of 7.5 km/s, convert the variations in time displayed here into a beam width in degrees. The wavelength is 23.5 cm. The local angle of incidence is 31° . (The incidence angle is measured down from the vertical.) What is the antenna length implied by this antenna pattern?

SIR-B was launched on October 5, 1984 aboard the Space Shuttle Challenger on flight 41-G into a nominally circular orbit. **The average altitude** for the first 20 orbits was 360 km; for the next 29 orbits was 257 km; **and for the duration of the mission 224 km**. At the 224 km altitude, the orbit was allowed to drift slightly westward with an approximate 1- day repeat cycle. This enabled SIR-B to image a given site at several different incidence angles on subsequent days over the course of the mission.

SIR-B Mission Parameters

| | |
|--|--------------------------------|
| Shuttle Orbital Altitudes | 360, 257, 224 km |
| Shuttle Orbital Inclination | 57 degrees |
| Mission Length | 8.3 days |
| Radar Frequency | 1.275 GHz (L-band) |
| Radar Wavelength | 23.5 cm |
| System Bandwidth | 12 MHz |
| Range Resolution | 58 to 16 m |
| Azimuth Resolution | 20 to 30 m (4-look) |
| Swath Width | 20 to 40 km |
| Antenna Dimensions | 10.7 m x 2.16 m |
| Antenna Look Angle | 15 to 65 degrees from vertical |
| Polarization | HH |
| Transmitted Pulse Length | 30.4 microseconds |
| Minimum peak power | 1.12 kW |
| Data recorder bit rate (on the ground) | 30.4 Mbits/s |



Slant Range = $224 \text{ km} / \cos(31^\circ) = 259 \text{ km}$

I take the zero-to-zero time to be about 1.3 seconds, or a ground distance of 9.75 km. The distance from the center line to one null is half that, or about 5 km.

These numbers give an angular range of $\Delta q = \frac{5 \text{ km}}{259 \text{ km}} = 1.93 \times 10^{-2} \text{ radians}$

These zeros correspond to the places where $\frac{kL \sin q}{2} = p$, or $\frac{2pL \sin q}{2L} = p$, or $\sin q = \frac{p}{L}$

$\sin q = \frac{p}{L} = \frac{0.235}{10.7} = 2.2 \times 10^{-2}$, or $\Delta q \approx 2.2 \times 10^{-2} \text{ radians}$

6. The decrease in radar energy as the beam propagates is illustrated by an example from the SIR-B mission, which shows the results of measuring the variation in power observed at depths of 12 and 35 cm in desert soil (near Mina, NV), from a paper by Farr et al. 1986. If the radar energy has decreased by 8 dB in the first 12 cm, what is the characteristic scale length, d , as defined here? This scale length is determined by the imaginary part of the dielectric coefficient.

$$I = I_0 e^{-x/d}$$

missing figure – ignore this problem